



Effect of mechanical parameter variations in BLDC motor drive

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Abstract

The electrical machines with a scheme of Controlled motion is known as electric-drives. With the implementation of drive we can achieve Specific control for speed of an electrical-machine. Optimization is easily feasible for control of motor motion via drive. A drive comprises of electric machine with power electronic, with converter controllers. Recent advanced practises have paved the way development of more trustworthy, proficient, & reduction in sizes, Alternating Current and Direct Current motor drives. According to this paper it executes the most popular motor i.e. BLDC motor. In this research paper we have mathematically designed PMBLDC Motor with analysis of their simulation performance with the help of coding in MATLAB is done. In this paper we have simulate with the aid of coding the output analysis of operation of PM BLDC motor via MATLAB (R2016a) version. The BLDC motor drive scheme is yet one of omnipresent research troubles.

Keywords: PM BLDC – Permanent Magnet Brushless D.C. Motor, EMF- Electro Magnetic force, BEMF- Back Electro Magnetic force.

Introduction

When Permanent Magnet Synchronous Motors have induced EMF trapezoidal in shape then it is known as Permanent Magnet Brushless Direct Current Machines (PMBDCM). As compared to its equivalent, success of these machines lies on its simple control. The current commutation is started in any of the phase of machine when the constant flat portion of the induced back EMF has started or has ended¹.

Drives being coded to ensure that system posses more efficiency, is fault tolerant, has quieter operation, smaller size for many different applications. Modeling and design tools are being developed so that there is reduction in efforts for drive development and designing of machine. Dedicated researches are focused on reluctance type machines drives and permanent magnet machine drives¹. These motors have very prevalent industrial applications as their construction fits for any safety required applications.

BLDC motors are supplied by a traditional 3- ϕ controlled inverter. Normally rotor position sensor increases cost, size, weight and complexity of control thereby reducing the dependability and tolerability of these drives. Motor with controller are very costly hence very few marketable applications of sensorless BLDC motor are present.

So this method is normally adapted for much application like fan, pump, computer equipments as hard drives. Heating and ventilation, Laser printer, AC and DC power supplies, Brushless

DC Motors used in Medical Treatment 1. Treating Sleep Apnoea, 2. Motors in Hospital Equipment, 3. Medical Analyzers, 4. Optimizing Power Density applications which doesn't have large torque variety during starting and normal running².

Modelling of PM Brushless DC Motor Sensorless Technique

Here motor is taken as 3- ϕ even though the derivation is applicable for more number of phases³. The stator winding equations based on coupled elements for constants terms of motor are

$$\begin{bmatrix} v_{ast} \\ v_{bst} \\ v_{cst} \end{bmatrix} = \begin{bmatrix} R_s & 0 & 0 \\ 0 & R_s & 0 \\ 0 & 0 & R_s \end{bmatrix} \begin{bmatrix} i_{ast} \\ i_{bst} \\ i_{cst} \end{bmatrix} + \begin{bmatrix} (L_s - M) & 0 & 0 \\ 0 & (L_s - M) & 0 \\ 0 & 0 & (L_s - M) \end{bmatrix} \frac{d}{dt} \begin{bmatrix} i_{ast} \\ i_{bst} \\ i_{cst} \end{bmatrix} + \begin{bmatrix} e_{ast} \\ e_{bst} \\ e_{cst} \end{bmatrix} \quad (1)$$

Where R_s is resistance/ phase of stator winding, which are taken as equal for 3- phases. The induced EMFs e_{ast} , e_{bst} , and e_{cst} all are assumed to be trapezoidal. E_p is the max EMF value which is derived as

$$E_p = (Blv)N = N(Blr\omega_m) = N\phi a\omega_{rs} = \lambda_p\omega_{rs} \quad (2)$$

Where, the total conductors connected in series/phase = N, rotor Velocity(m/s) = v, Conductors length(m) = l, Rotor radius(m) = r, Angular velocity(rad/s) = ω_{rs} , Conductors flux density (Tesla) = B are placed³.

The voltage equation of phase is similar to voltage equation of armature of Direct Current machine. This is due to the fact that it is quite similar to D.C. machine except brushes and commutator being removed, hence the name of machine as Permanent Magnet Brushless dcmachine³. The electromagnetic torque (T_e) equation is

$$T_e = [e_{ast}i_{ast} + e_{bst}i_{bst} + e_{cst}i_{cst}] \frac{1}{\omega_{rs}} (N \cdot m) \quad (3)$$

The instantaneous-induced EMFs is given as

$$e_{ast} = f_{ast}(\theta_{ra}) \lambda_p \omega_{rs} \quad (4)$$

$$e_{bst} = f_{bst}(\theta_{ra}) \lambda_p \omega_{rs} \quad (5)$$

$$e_{cst} = f_{cst}(\theta_{ra}) \lambda_p \omega_{rs} \quad (6)$$

Functions $f_{ast}(\theta_{ra})$, $f_{bst}(\theta_{ra})$, and $f_{cst}(\theta_{ra})$ have direct relation with e_{ast} , e_{bst} , and e_{cst} therefore, these function have the same form as EMFs with peak value equal to ± 1 . The waveforms are devoid of sharp edges and are curved because they are related to flux linkages.

$$T_e = \lambda_p f_{ast}(\theta_{ra}) i_{ast} + f_{bst}(\theta_{ra}) i_{bst} + f_{cst}(\theta_{ra}) i_{cst} (N \cdot m) \quad (7)$$

The equation for mechanical parameters involving inertia J_m , coefficient of friction B_m along with load torque T_l with reference to rotor angle θ_{ra} and rotor speed ω_{rs} is given by

$$J_m \frac{d\omega_{rs}}{dt} + B_m \omega_{rs} = (T_e - T_l) \quad (8)$$

$$\frac{d\theta_{ra}}{dt} = \frac{p}{2} \omega_{rs} \quad (9)$$

Whereas, total poles in machine = p , Mechanical rotor speed (rad/s) = ω_{rs} , Rotor position in (rad) = θ_{ra}^{1-5} .

PM BLDC Motor parameters: Implements a three-phase permanent magnet Brushless Direct Current machine. The stator windings are connected in Star to an internal neutral point⁵.

Table-1: BLDC Motor Model Parameter.

Parameters of BLDC Motor Drive	Symbols	Value
Power	P	3Hp
Resistance of Stator	R_s	0.2 Ω
Inductance of stator Phase	L_s	8.5mH
Flux linkage		0.175 V.s
Voltage Constant (DC)	V_{dc}	320 Volt
Torque Constant		1.4Nm
Viscous friction	B_m	0.005N.m.s
Inertia of Rotor	J_m	0.089kg.m ²
Back-EMF Span (degree)		120 ⁰
Number of pole pairs	p	4
Base speed	W_{base}	1650RPM

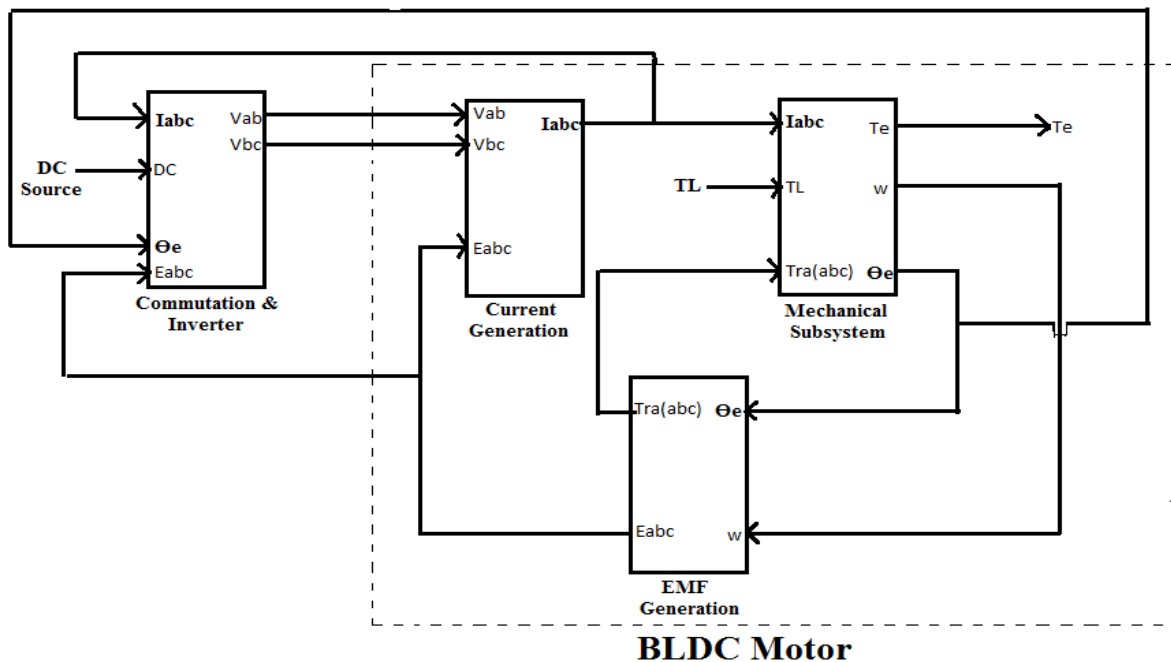


Figure-1: BLDC motor Block Diagram representation.

BLDC motor comprises of following sections: i. Current Generation, ii. EMF Generation, iii. Mechanical Subsystem.

The input of Current Generation block is V_{ab} and V_{bc} with back EMF (E_{abc}) of all three phases and the output is three phase I_{abc} .

This three-phase current (I_{abc}) is input for mechanical subsystem block. The other inputs are load torque (T_L) and trapezoidal EMF ($T_{ra(abc)}$). Trapezoidal EMF generated by EMF generation block. Output of mechanical subsystem is electrical torque (T_e), angular speed (ω) and electrical angle (θ_e).

Back EMF (E_{abc}) and trapezoidal EMF ($T_{ra(abc)}$) are formed by combination of angular speed (ω) and electrical angle (θ_e), this combination also is input for current generation.

Back EMF (E_{abc}) from EMF generation block, electrical angle (θ_e) from mechanical subsystem and three phase current (I_{abc}) from current generation block from input for commutation of inverter block and the output is V_{ab} and V_{bc} which itself is input for current generation block.

This block diagram forms close loop and BLDC motor is depend on the same.

Dynamic Simulation Results

The MATLAB codes based the speed controlled of BLDC motor drive systems. Fixing speed and torque to a set value, simulation of torque drive can be done.

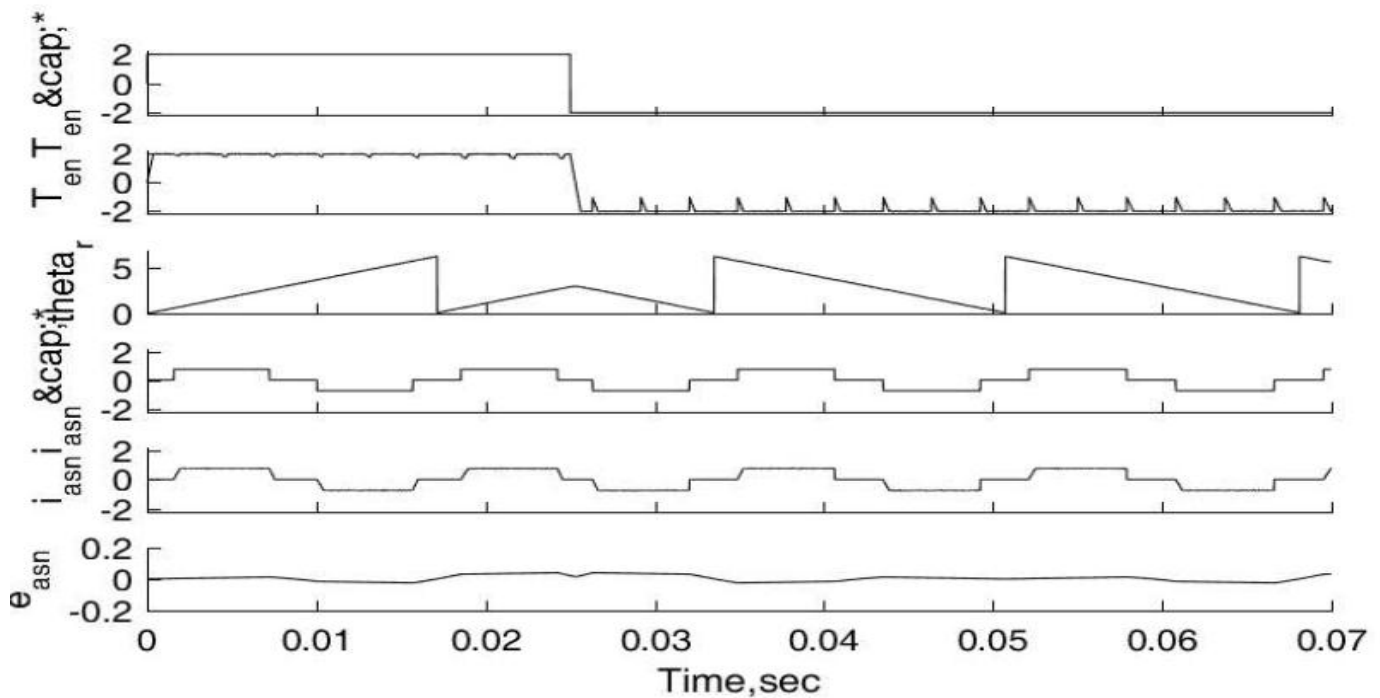


Figure-2: PM Brushless DC Motor speed controlled drive full wave Converter with standard inertia value $J_m=0.089\text{kg m}^2$ and Viscous friction value $B_m= 0.005\text{ Nms}$.

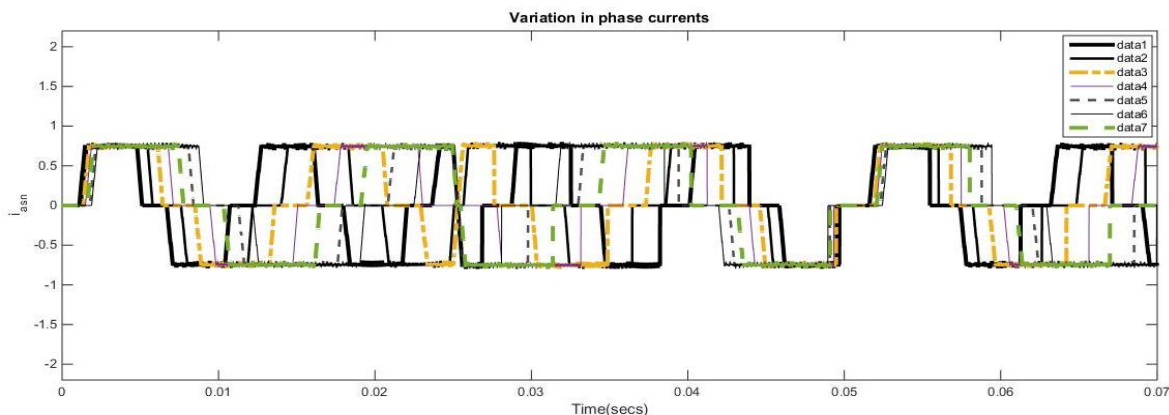


Figure-3: Effect of Change in inertia $\pm 30\%$ on stator phase currents.

The description for legend as in the Change in motor inertia graph Data-1 \rightarrow -30%, Data-2 \rightarrow -20%, Data-3 \rightarrow -10%, Data-4 \rightarrow normal, Data-5 \rightarrow +10%, Data-6 \rightarrow +20%, Data-7 \rightarrow +30%. With increase of inertia value from -30% of 0.089kg m^2 to +30% of 0.089kg m^2 corresponding increase in time period of stator current of BLDC motor is observed. With increase of

inertia value from -30% of 0.089kg m^2 to +30% of 0.089kg m^2 , rotor angle reaches particular angle more quickly. With increase of inertia value from -30% of 0.089kg m^2 to +30% of 0.089kg m^2 corresponding decrease of speed of BLDC motor is observed. There is negligible changes in torque when we vary rotor inertia value.

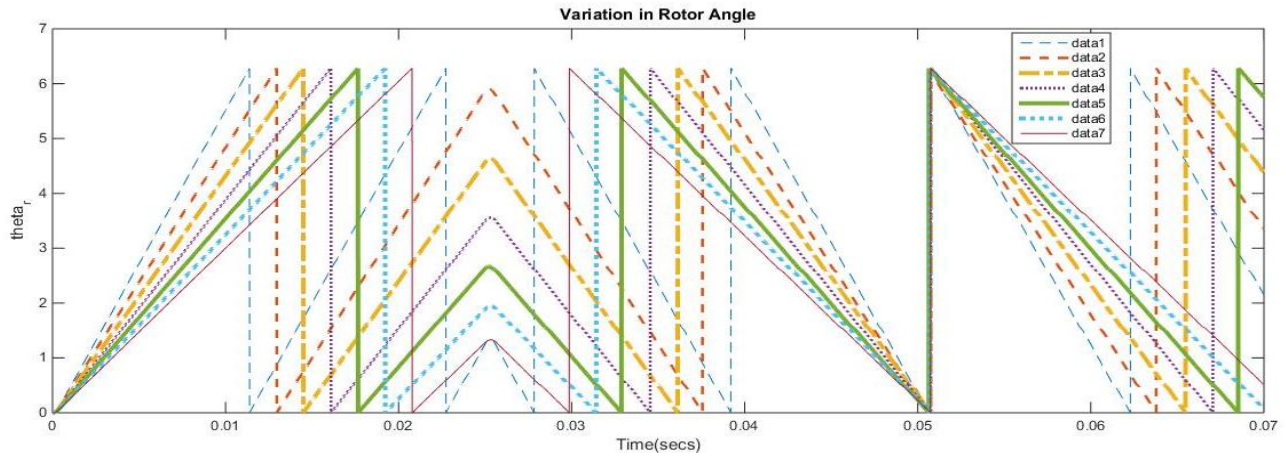


Figure-4: Effect of Change in inertia $\pm 30\%$ on rotor angle.

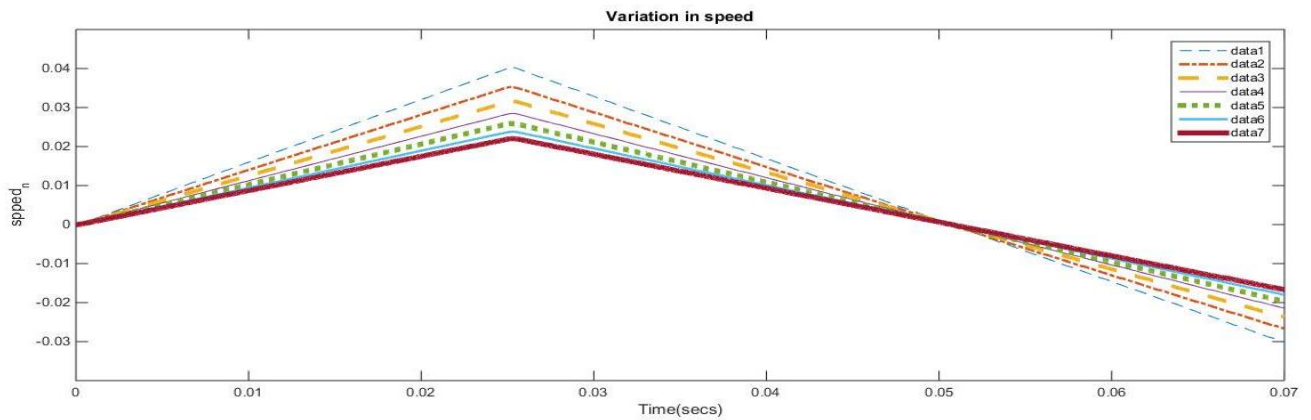


Figure-5: Effect of Change in inertia $\pm 30\%$ on rotor speed.

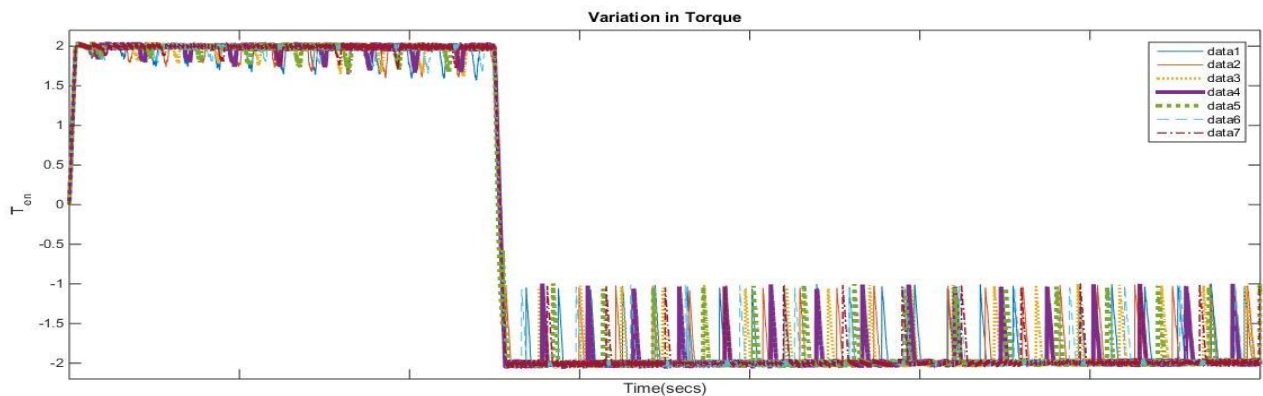


Figure-6: Effect of Change in inertia $\pm 30\%$ on Torque.

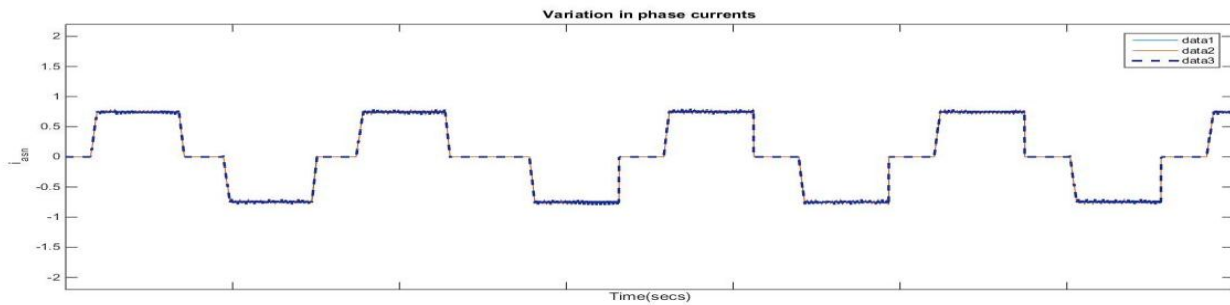


Figure-7: Effect of Change in Viscous friction $\pm 20\%$ on stator current.

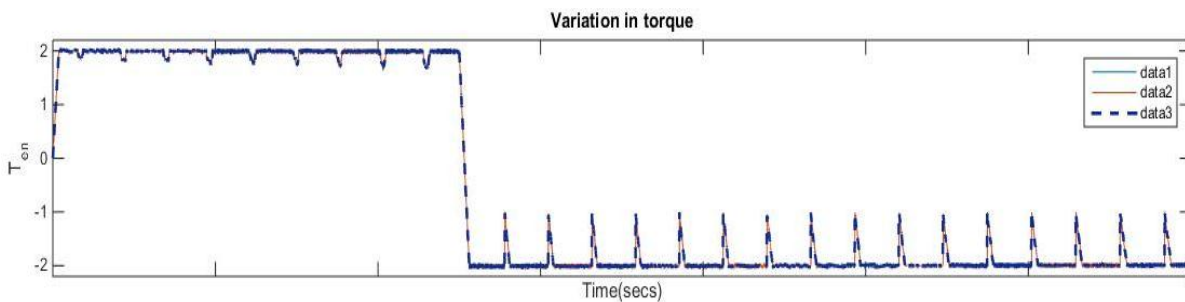


Figure-8: Effect of Change in Viscous friction $\pm 20\%$ on torque.

The description for legend as in the Change in Viscous friction graph Data -1 \rightarrow -20%, Data -2 \rightarrow normal, Data -3 \rightarrow +20%.

There is no change in stator current when we vary from -20% to +20% of viscous friction (0.005 N.m.s) value.

There is no change in torque when we vary from -20% to +20% of viscous friction (0.005 N.m.s) value.

Conclusion

It is seen that when we take $J_m = 0.089 \text{ kg m}^2$ as a reference inertia and $B_m = 0.005 \text{ N.m.s}$ as a reference viscous friction value for comparison, it is observed that by increasing the value of inertia, rotor angle increases and the time period of stator current also increases with respect to time.

In this paper, the simulation results for system mechanical parameter variation have also been obtained.

By observing the waveform, it is clearly understood that by changing inertia and viscous friction in the motor, changes in different parameters of the motor are observed.

Simulation results clearly show that parameter changes occur in rotor position, rotor speed, and stator current and back EMF. Rotor position reaches '0' position or reference position quickly as we increase inertia value, whereas the time taken for a complete one cycle for stator current increases and BEMF tends to become an approximately constant value.

These are the following changes that are observed with an increase in motor inertia. There are no changes shown in stator current and torque when we vary viscous friction.

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